



# This Wheel's on Fibre: using fibre-optic sensing for traffic monitoring

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Contributors:

Martijn van den Ende

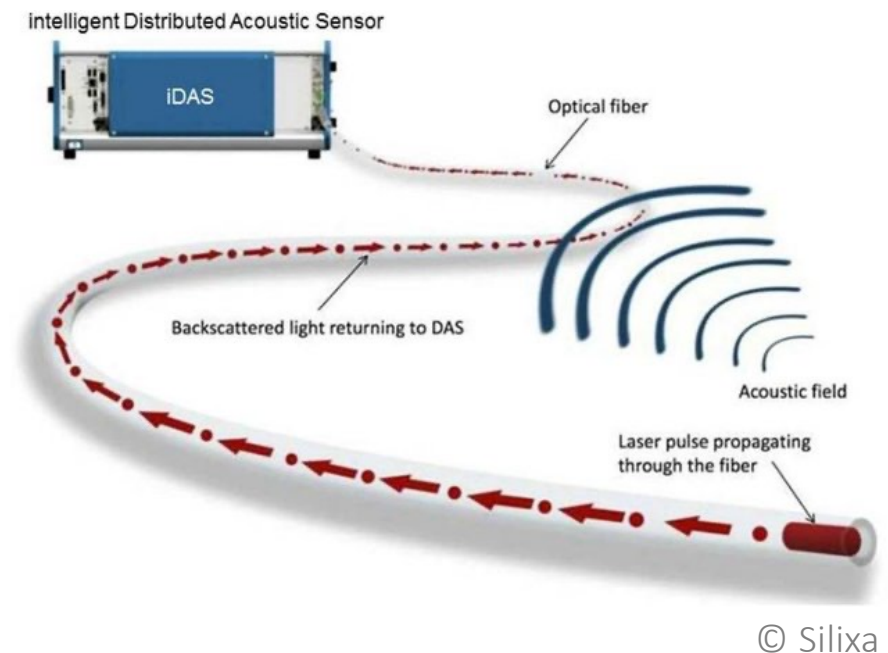
André Ferrari

Anthony Sladen

# Distributed Acoustic Sensing (DAS)

As a subcategory of fibre-optic sensing, **Distributed Acoustic Sensing** measures **stretching** of the fibre over distances of tens of km.

Independent measurements every few metres!



# Many applications

- Fluid flows (water, air)
- Swaying and resonance of high-rise structures
- Earthquakes, landslides, rock falls, avalanches
- Cars, trains, pedestrians, boats
- Whales, weevils



# Diverse deployment scenarios

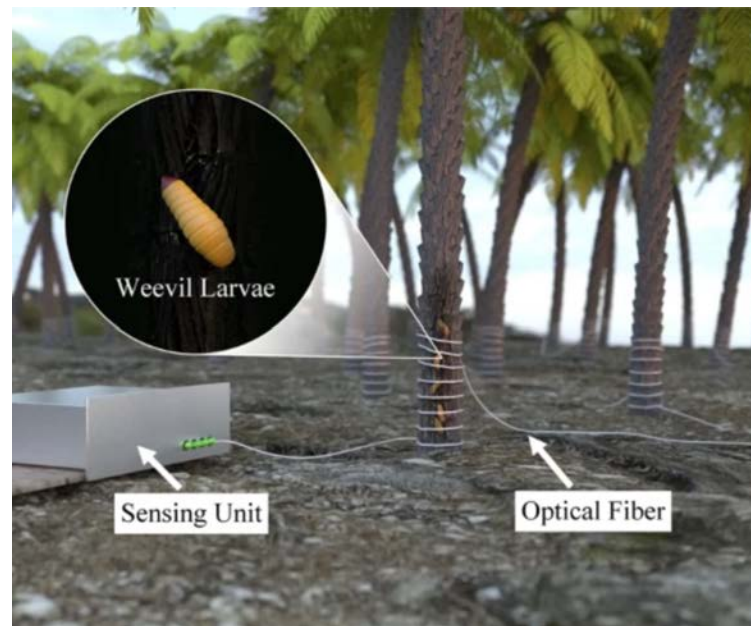
## Glaciers

Walter et al. (2020)



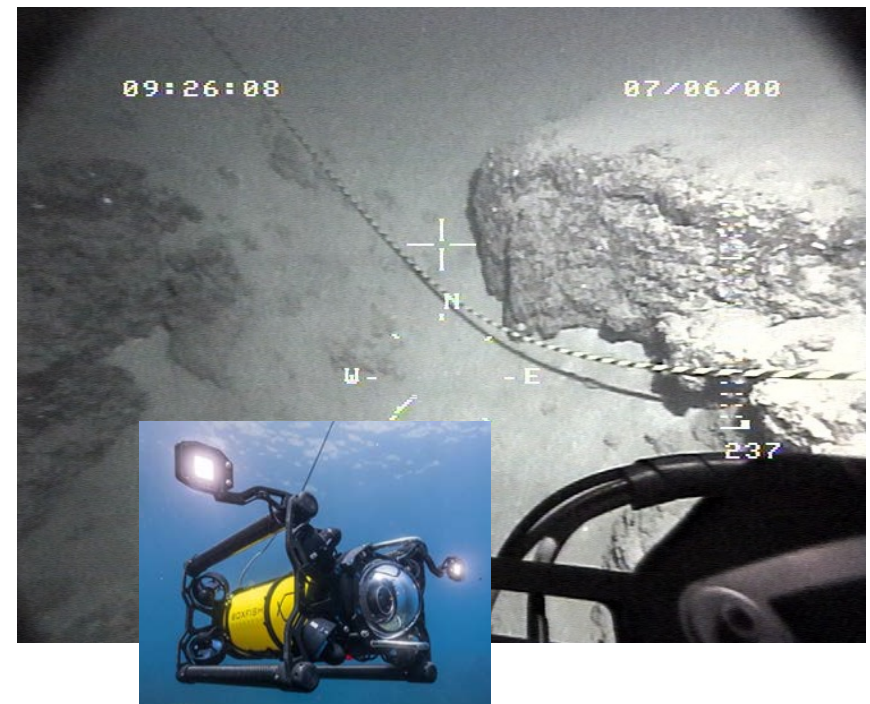
## Trees

Ashry et al. (2020)



## Offshore

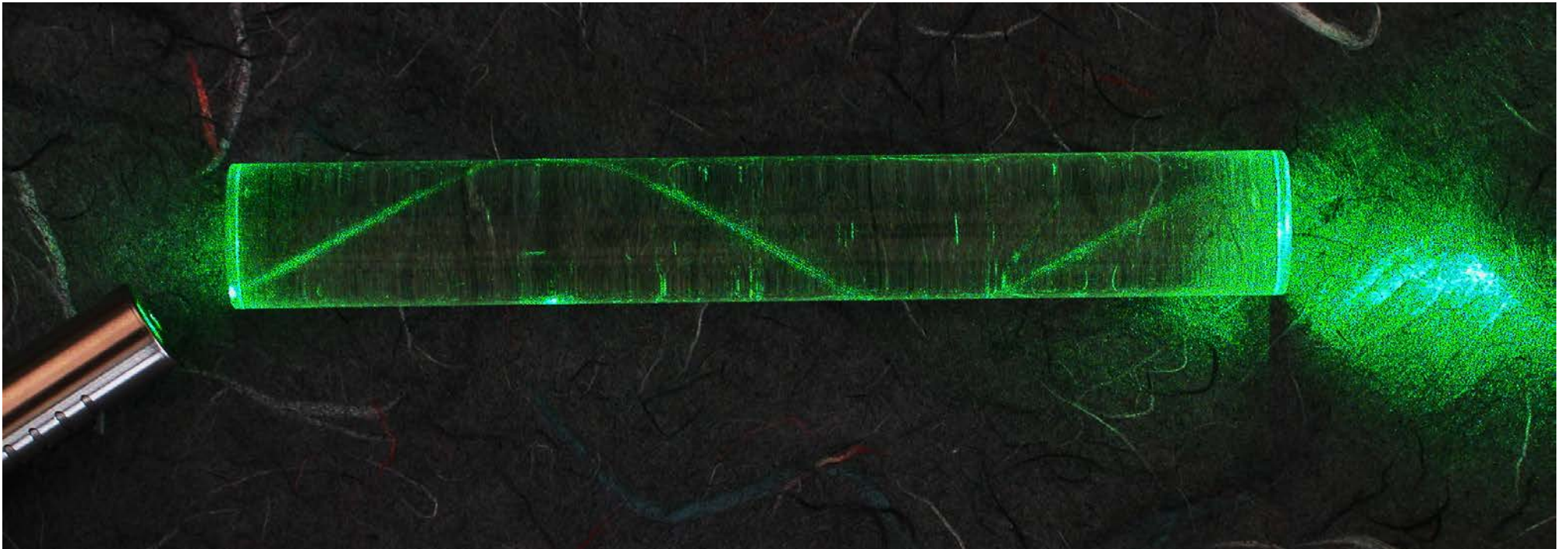
Géoazur team



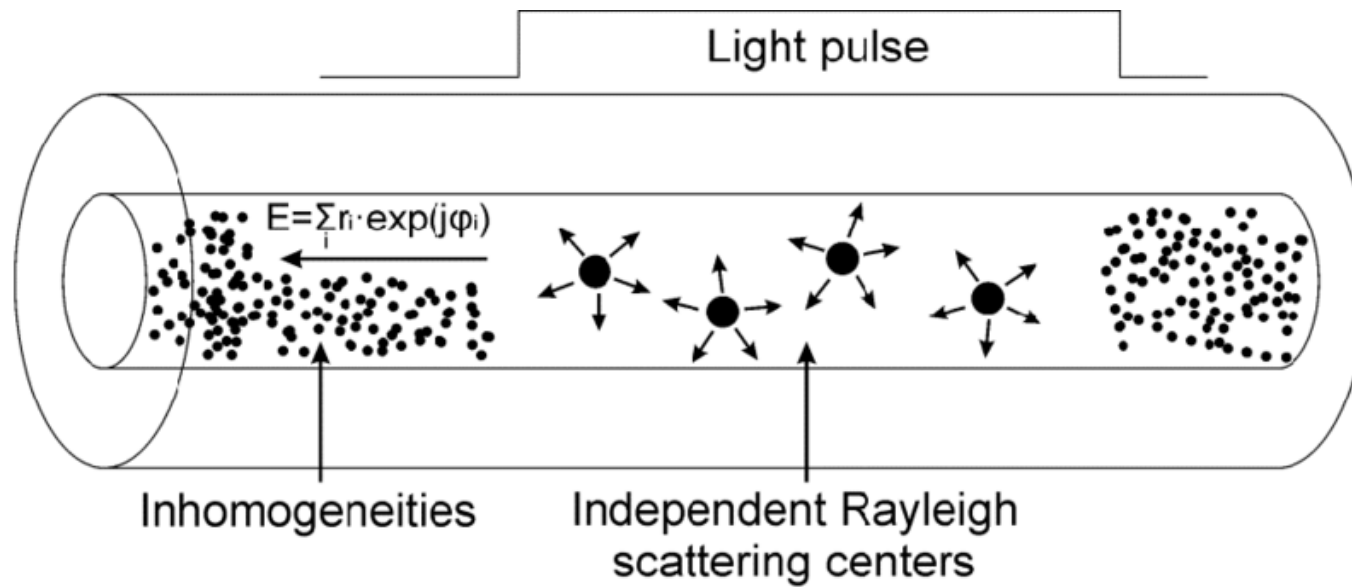
# Diverse deployment scenarios



# How it works

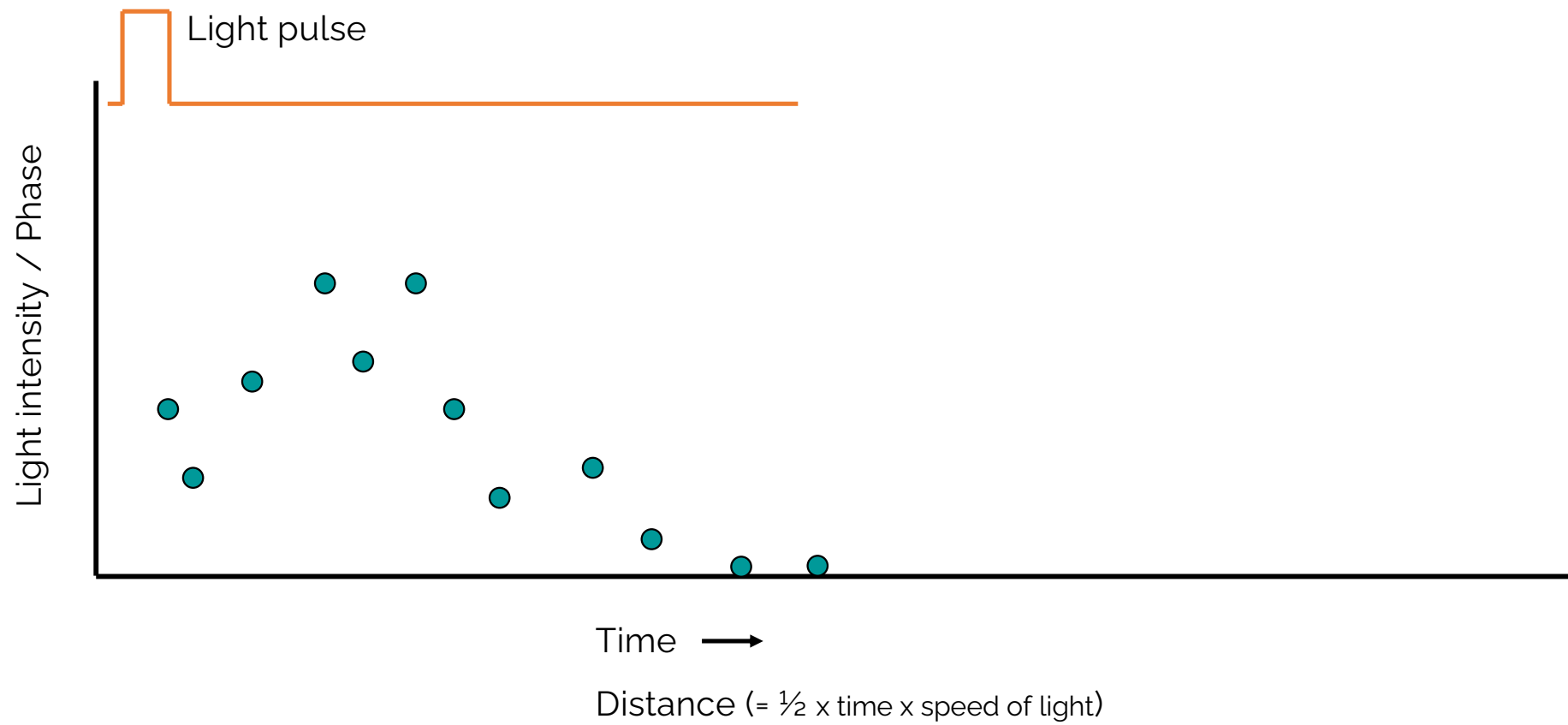


# How it works



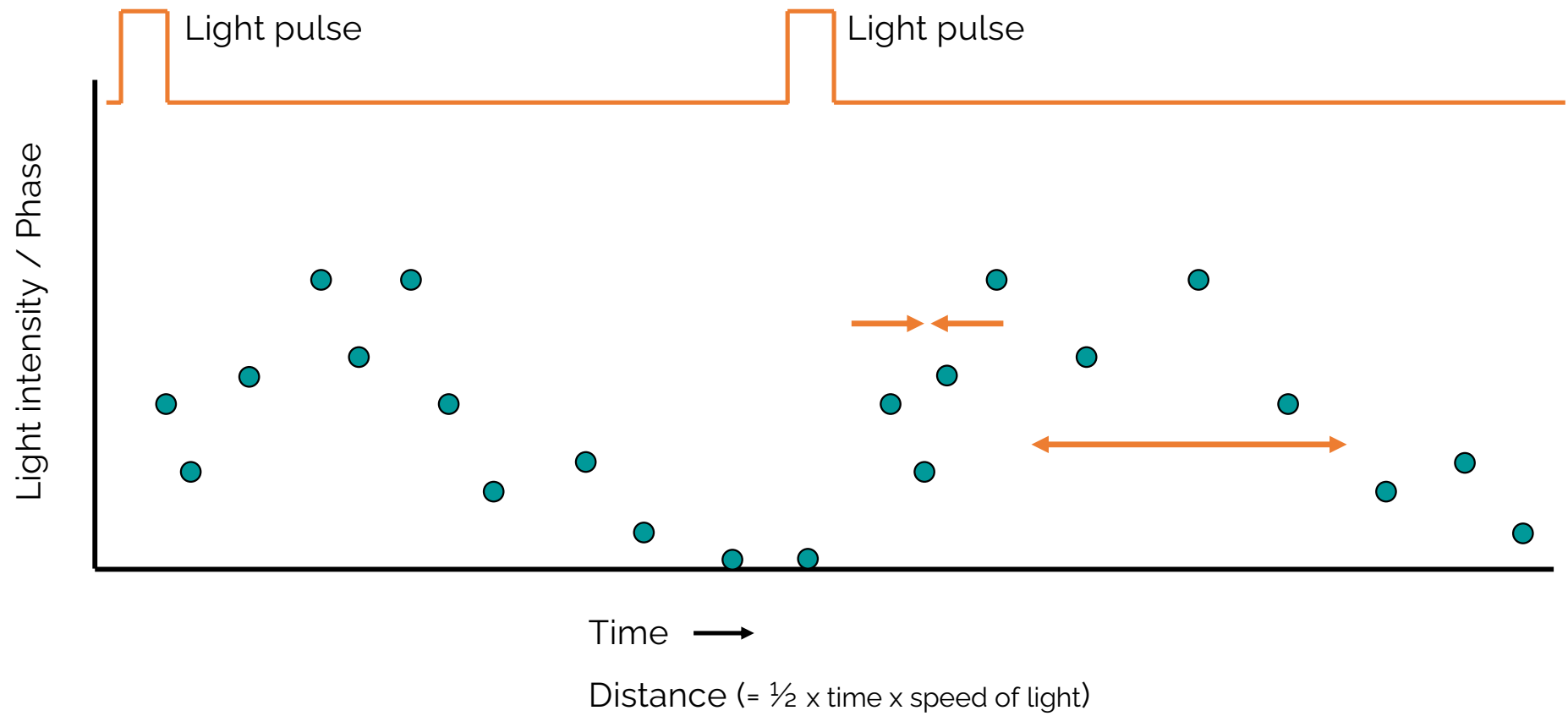
Pnirov et al. (2015)

# How it works





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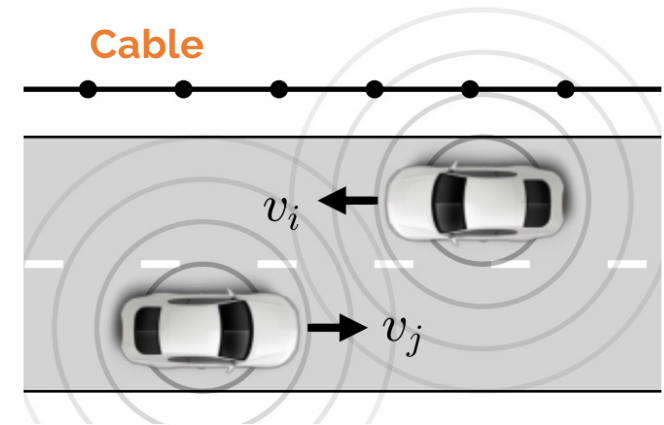


# How it works

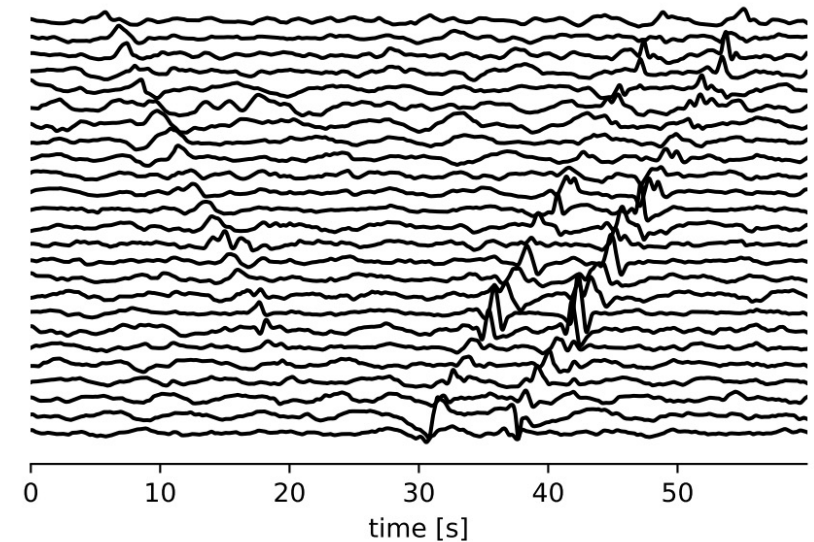


# Roadside DAS

- Commercial telecom fibre deployed alongside streets in Nice, France
- Independent measurements every 10m
- DAS system records deformation induced by cars

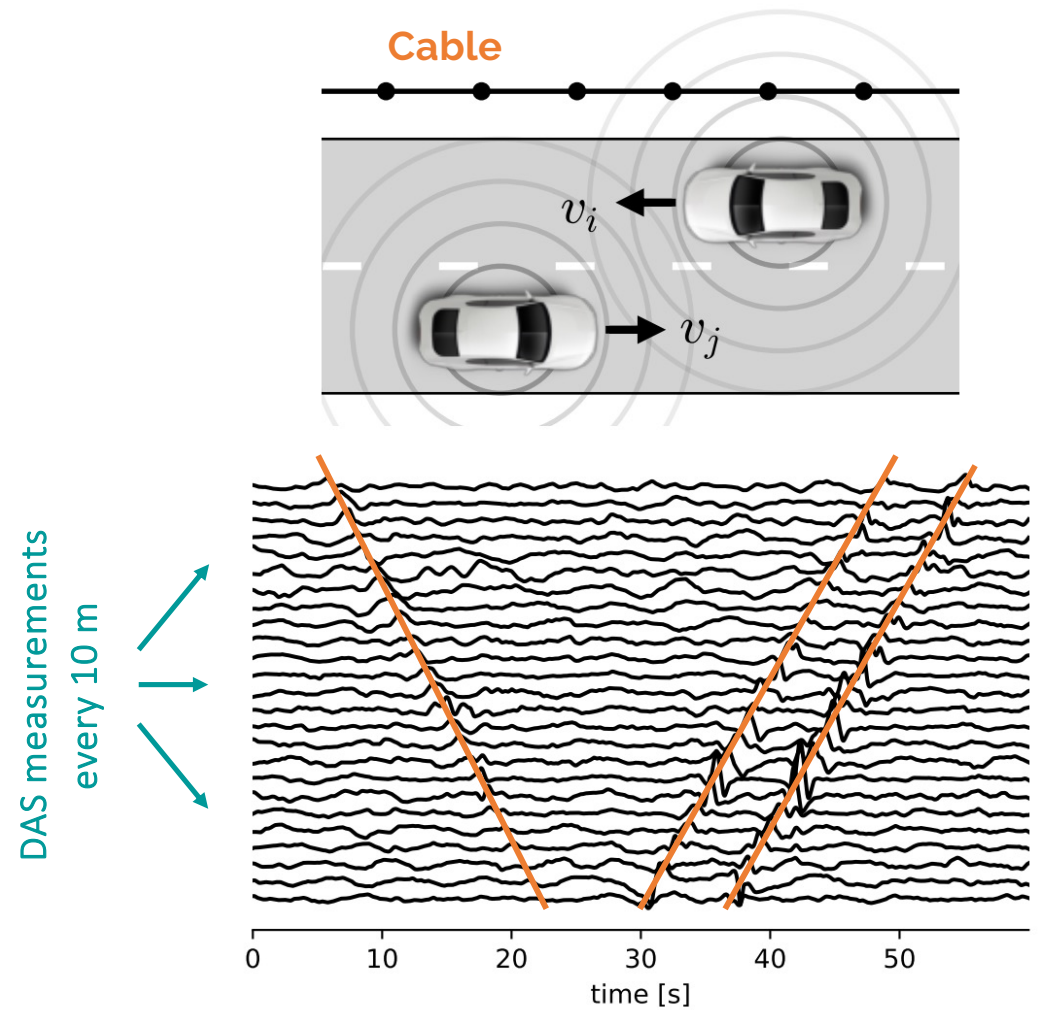


DAS measurements  
every 10 m



# Roadside DAS

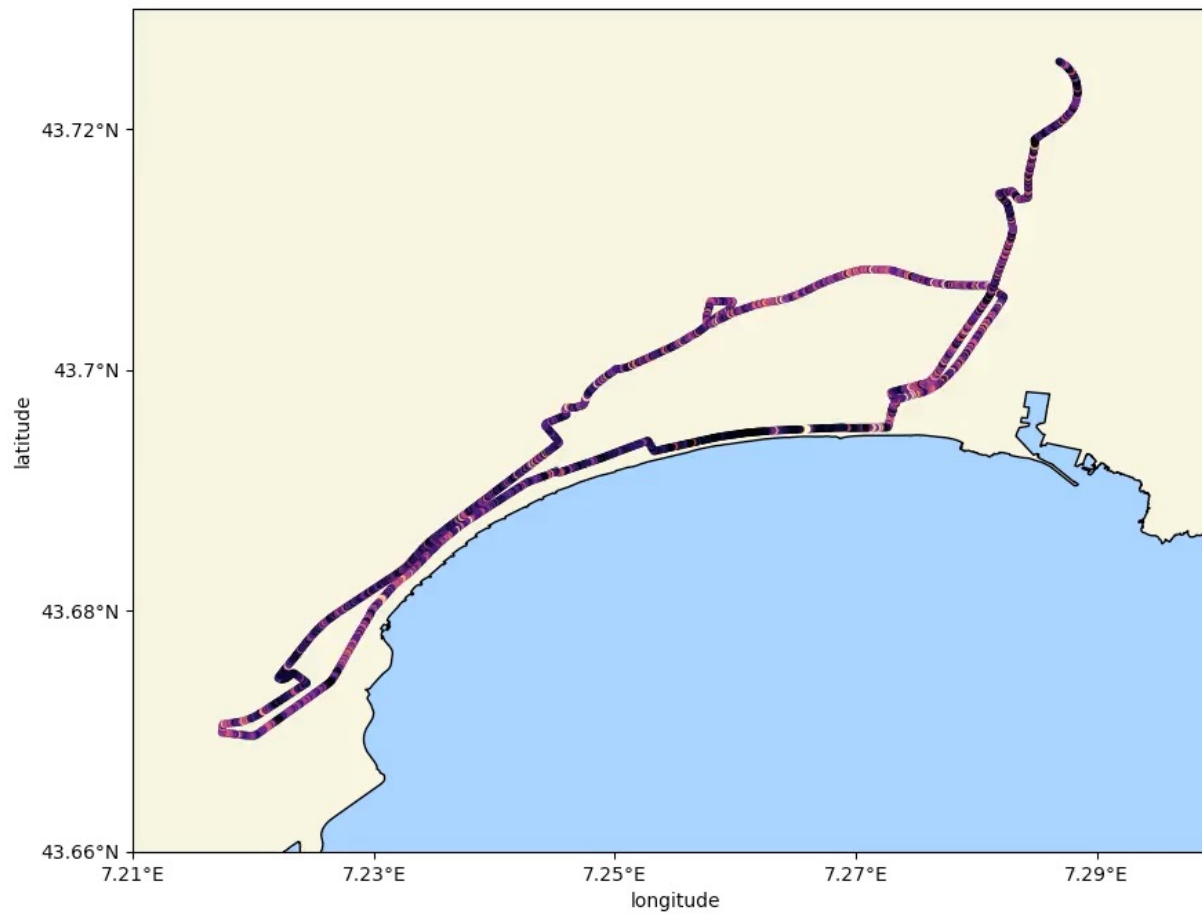
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# Pilot experiment



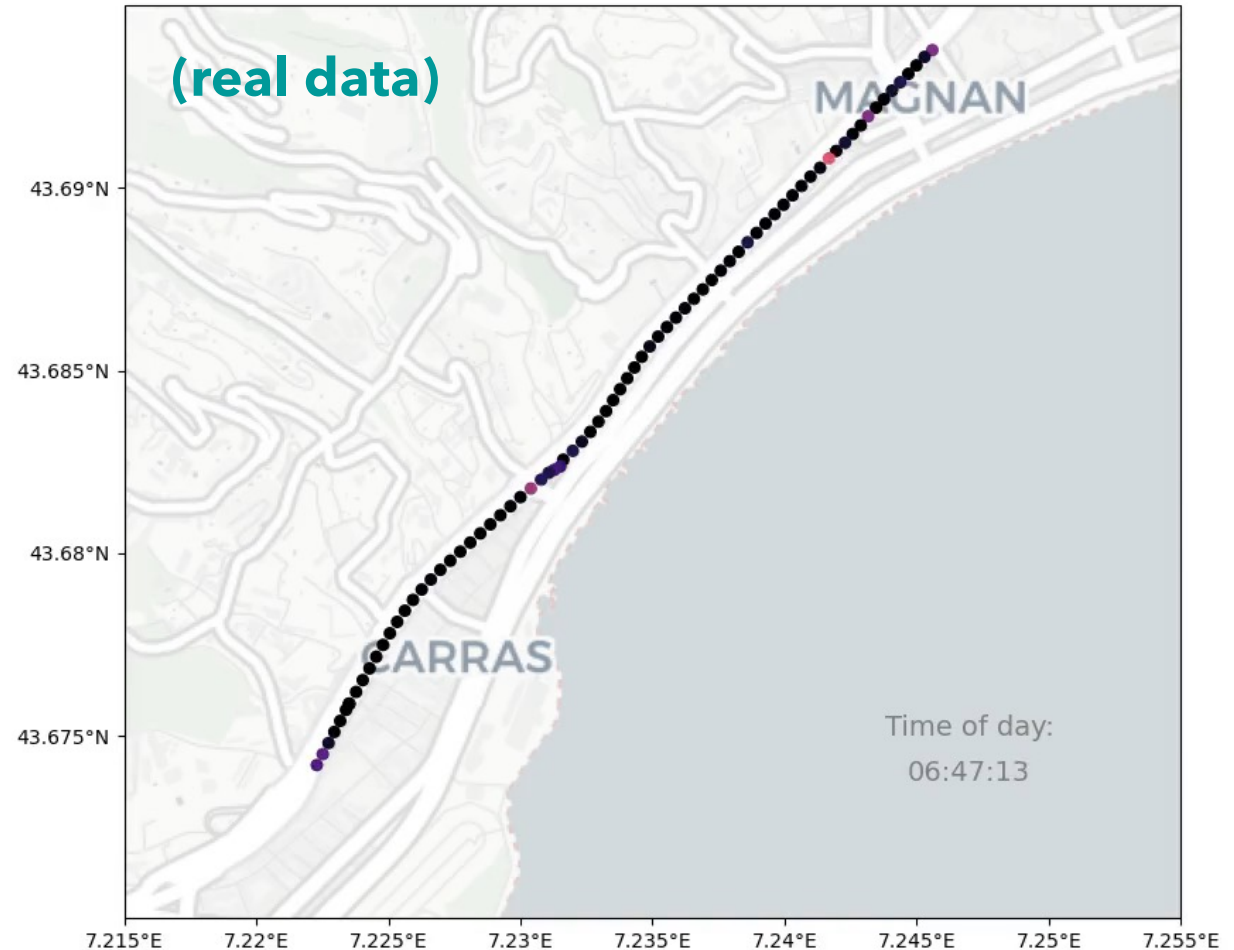
# Metropole Nice Côte d'Azur



# Individual vehicle tracking

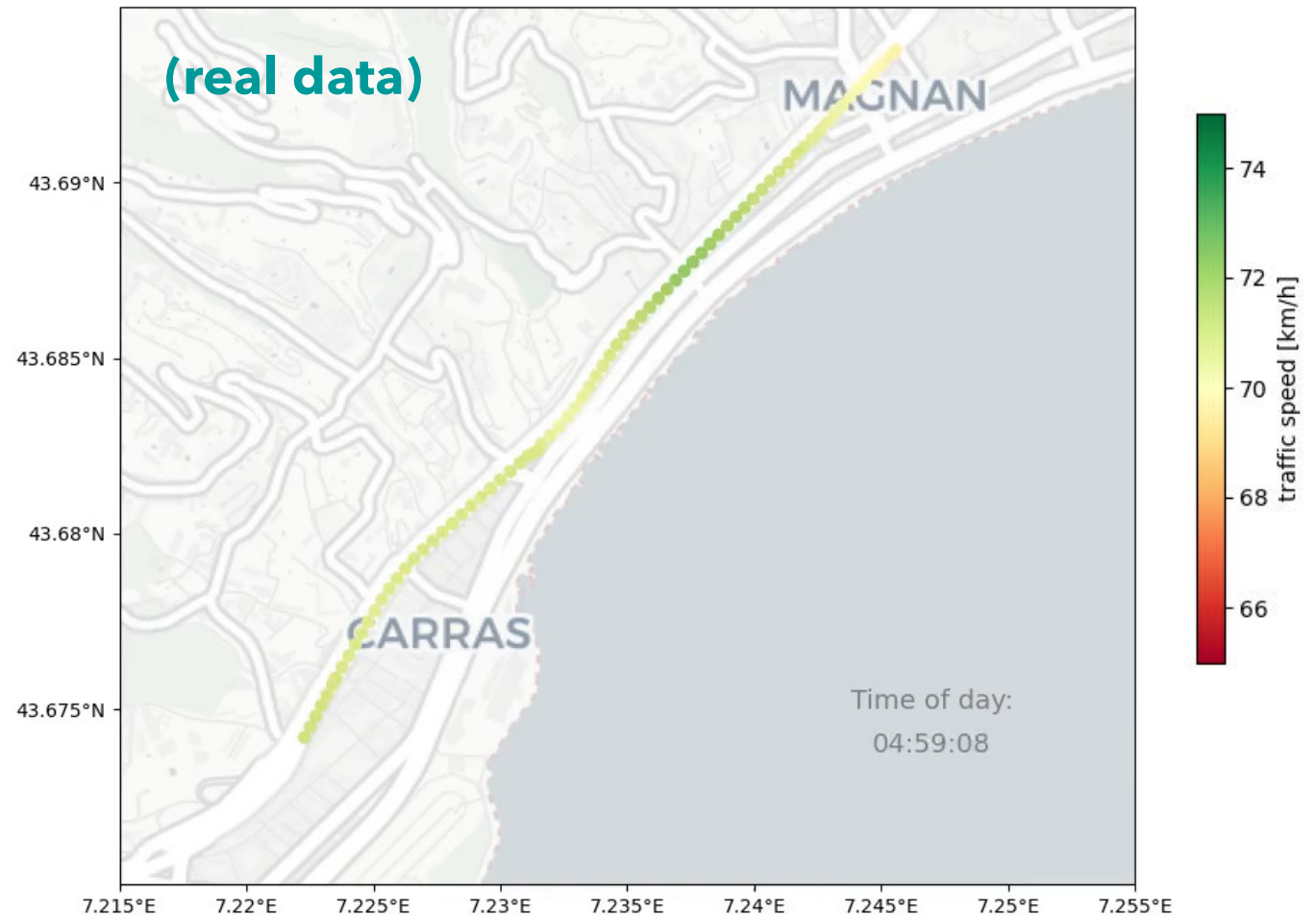
With self-supervised  
Machine Learning  
methods, we can track  
individual vehicles over  
long distances

(100% anonymous)



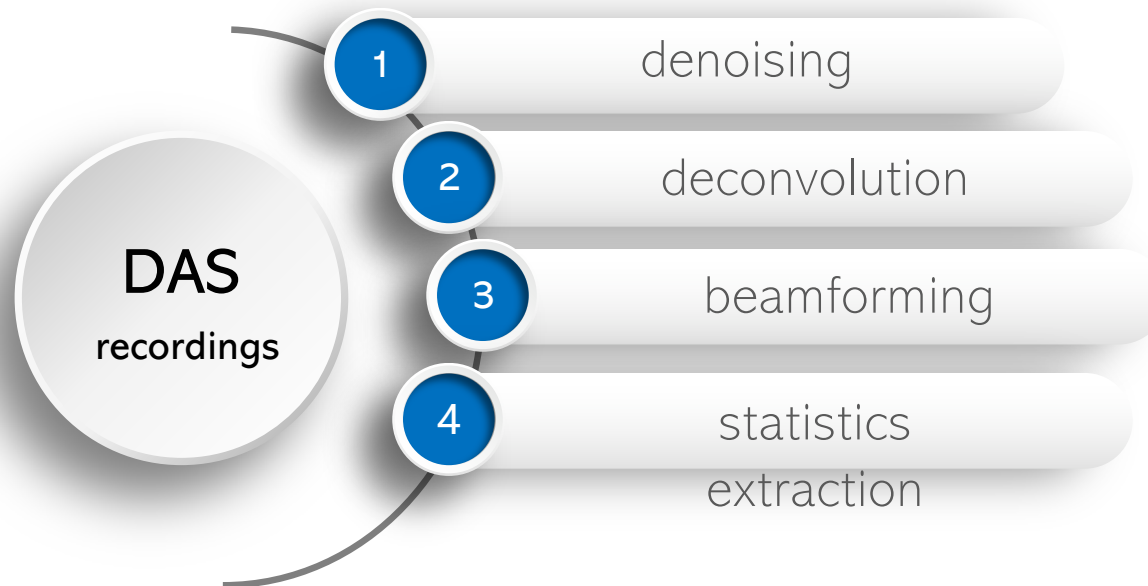
# Macroscopic traffic statistics

Using advanced array processing techniques, we obtain **macroscopic traffic statistics**, like the average **traffic speed** and number of vehicles

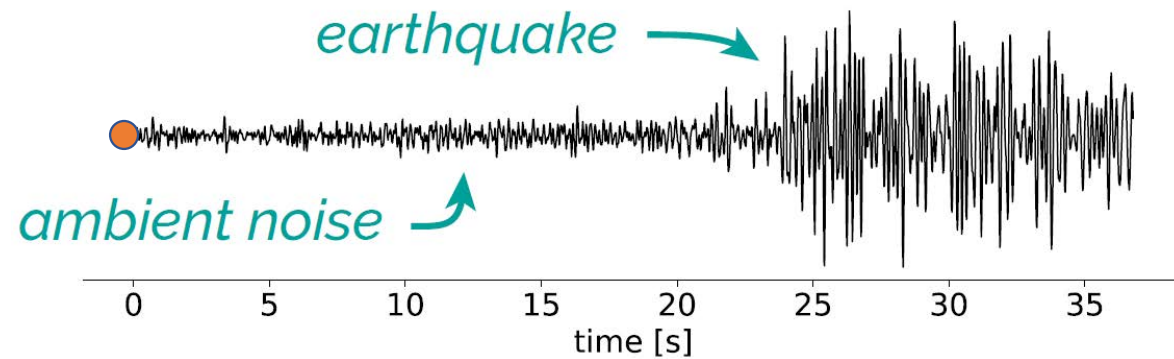




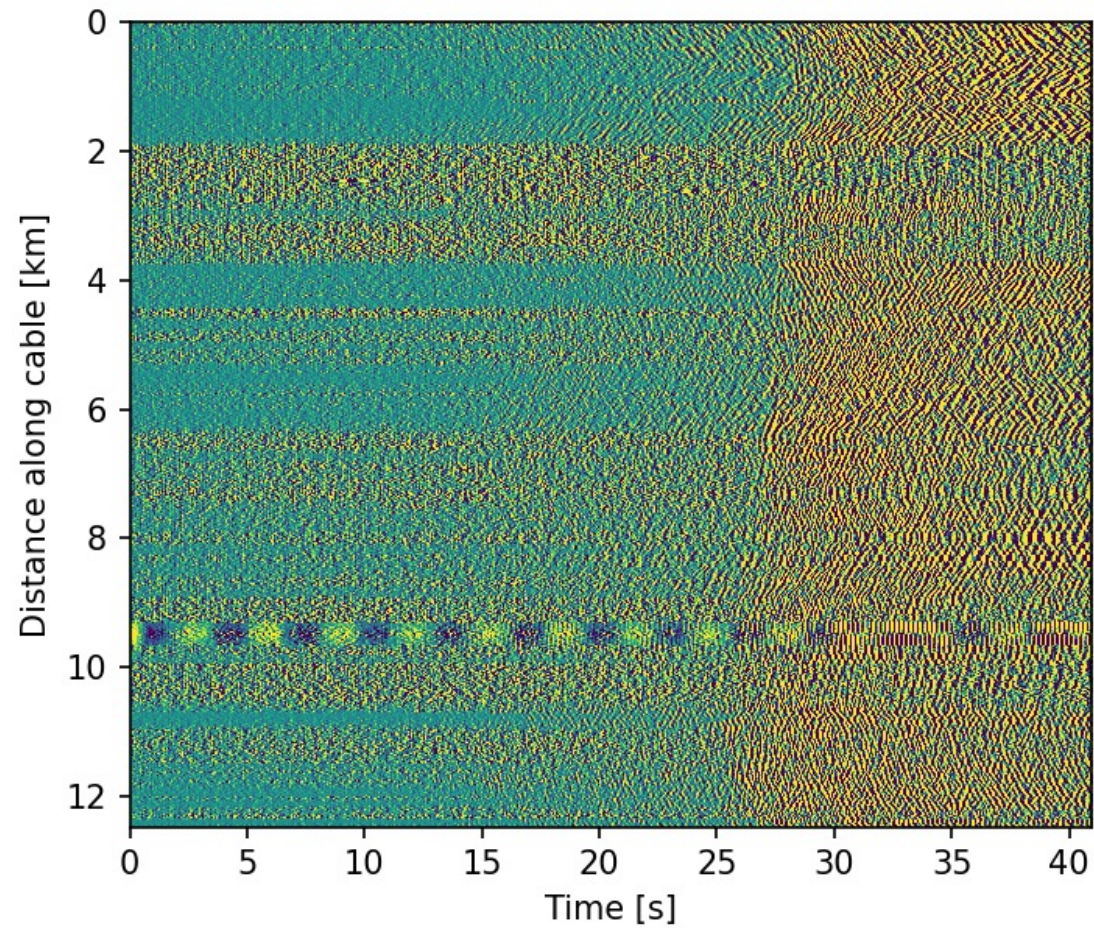
# Key actions



# DAS earthquake monitoring



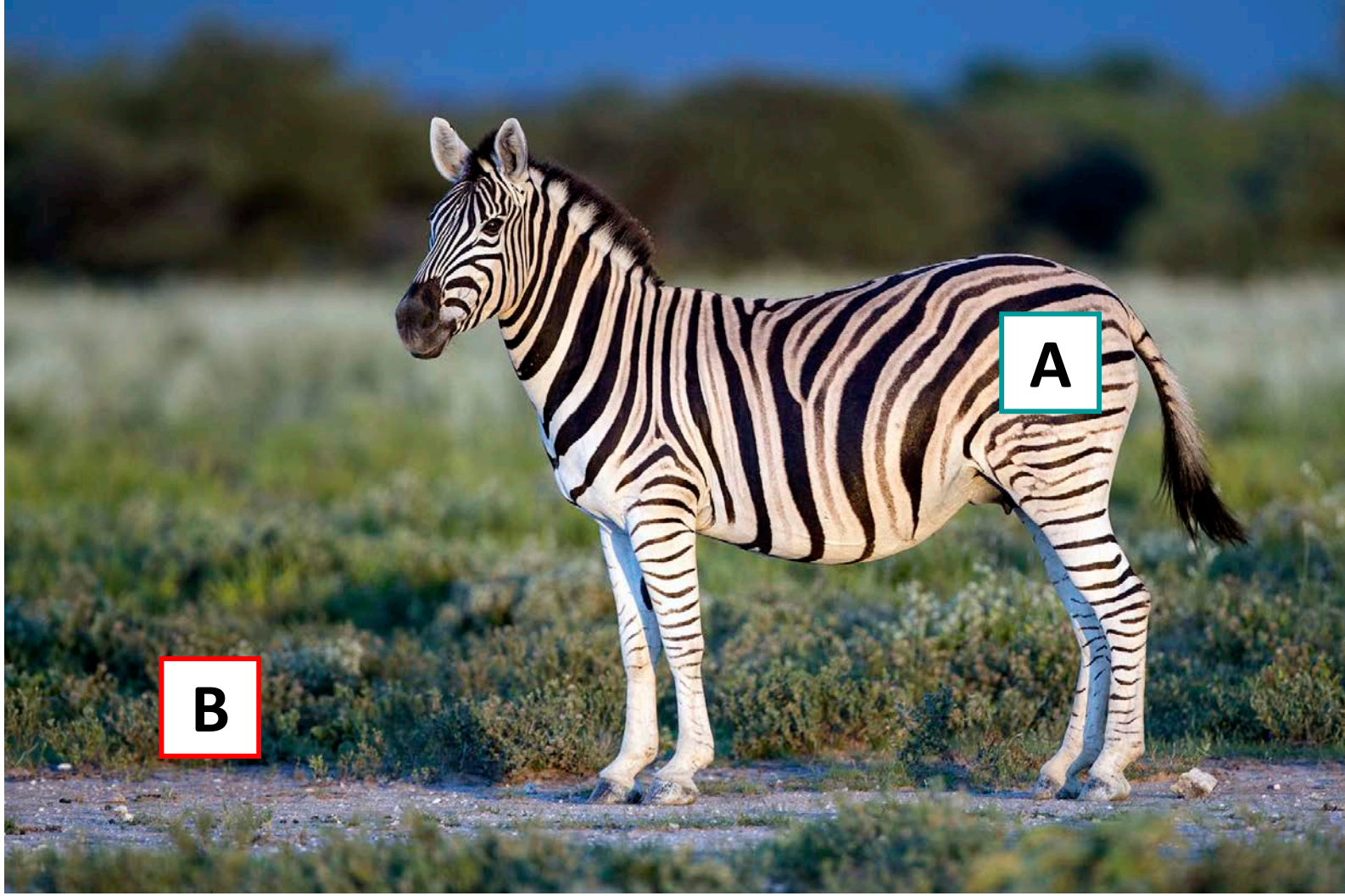
# DAS earthquake recordings



# Leveraging spatiotemporal coherence

- Traditional seismic data: frequency-based filtering
- Does not work when noise freq. band = signal freq. band
- DAS data has 2D structure: time & space
- Leverage spatiotemporal patterns in denoising efforts with  $J$ -invariance
- $J$ -invariant filtering: separate  $J$ -invariant signals (earthquakes, ocean waves, ...) from  $J$ -variant noise (local vibrations, thermal noise, ...)

By Yathin S Krishnappa  
Own work, CC BY-SA 3.0

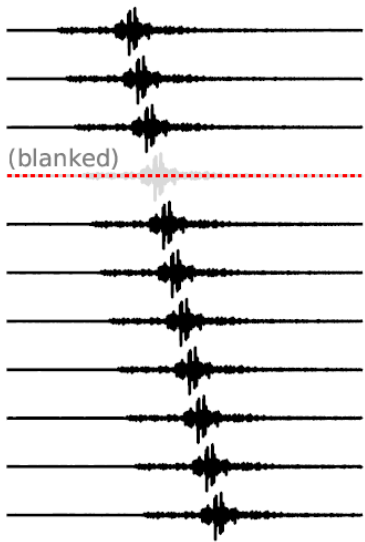


# $J$ -invariance (Batson & Royer, ICML 2019)

- Suppose we have an input  $\mathbf{z}$ , for which we can define a partition  $J$
- A  $J$ -invariant function  $g(\mathbf{z})_J$  is one for which the output does not depend on  $\mathbf{z}_J$  for all  $\mathbf{z}$  and partitions  $J$
- **Zebra example**: input  $\mathbf{z}$  is the picture of the zebra,  $J$  is a patch of pixels, and  $g(\mathbf{z})_J$  is the prediction of the contents of  $J$
- **$J$ -invariant filtering**: separate  $J$ -invariant signals (earthquakes, ocean waves, ...) from  $J$ -variant noise (local vibrations, thermal noise, ...)

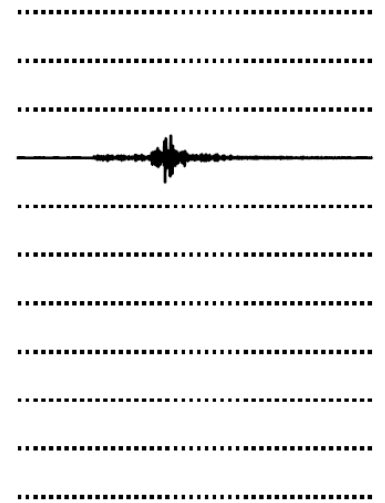
# $J$ -invariant denoising

Input (11 x 2048)



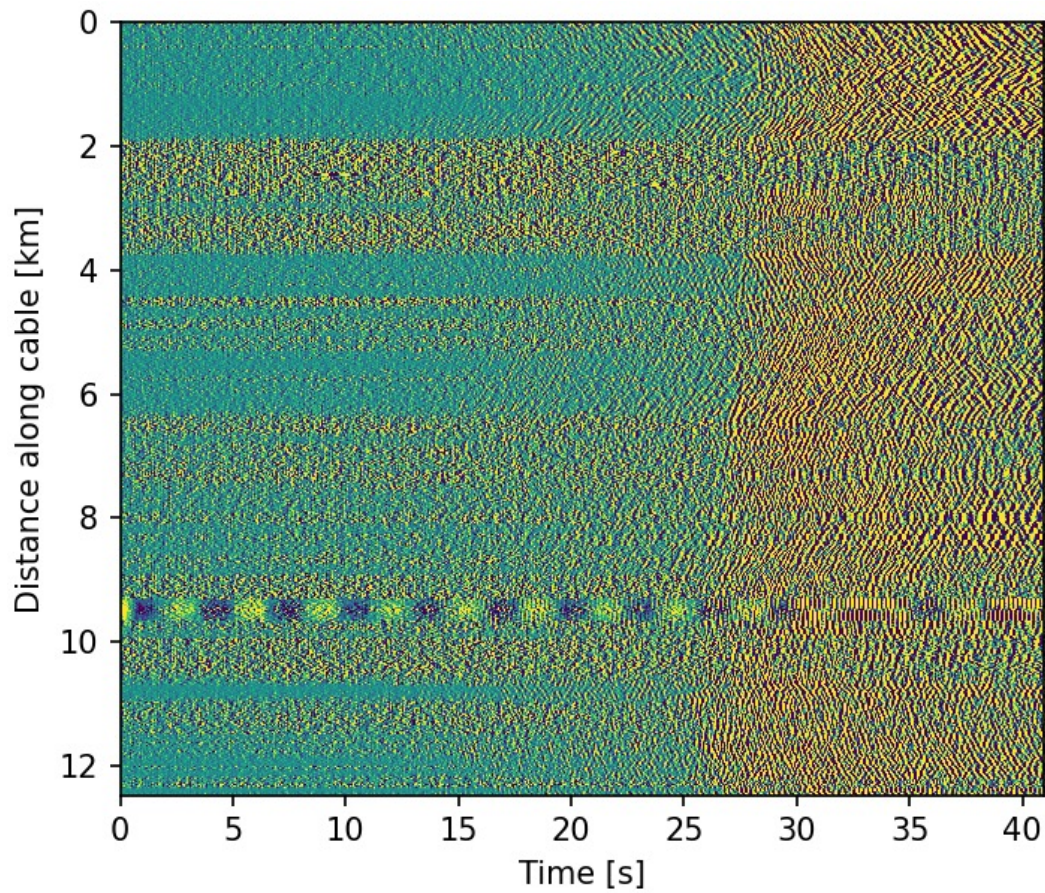
Neural Network black box

Output



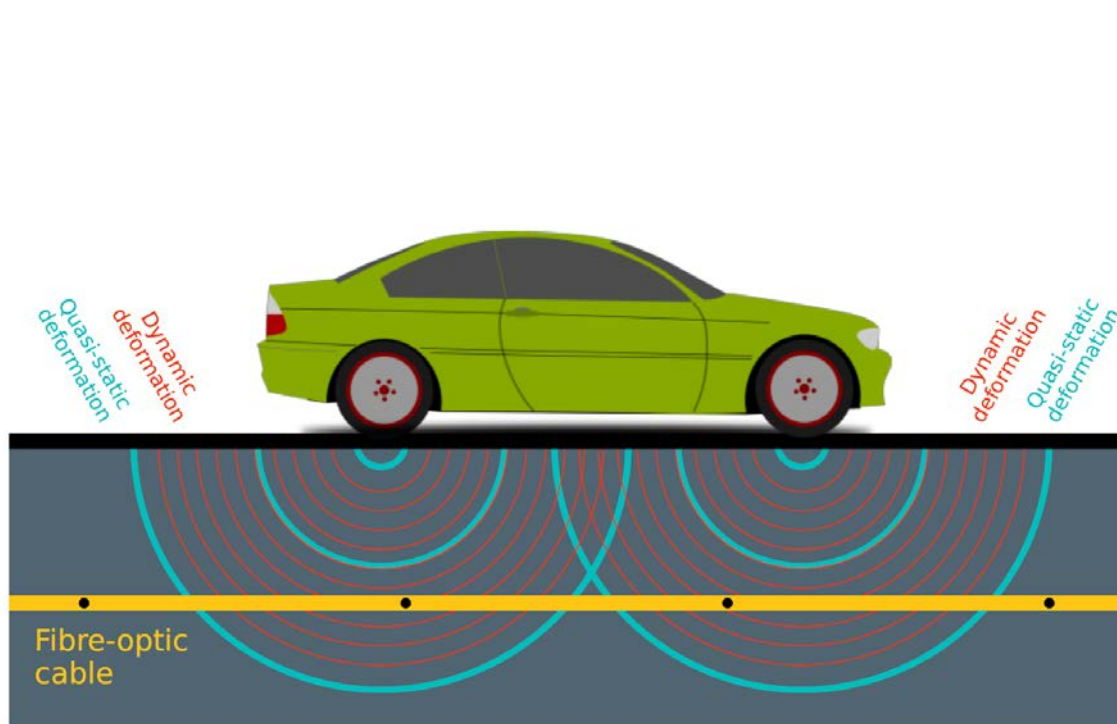
# $J$ -invariant denoising (results)

Original data

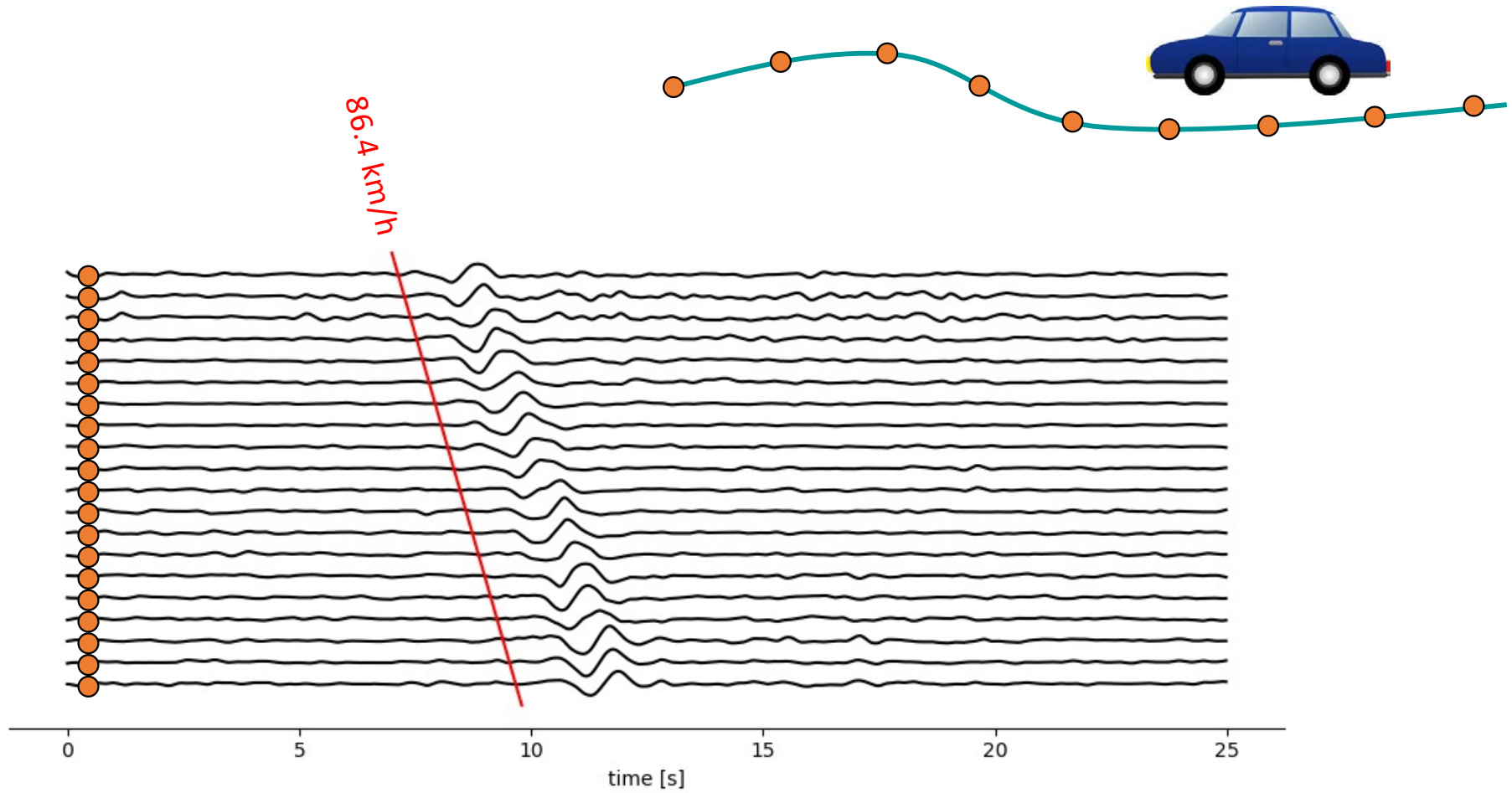




# Switching gears...

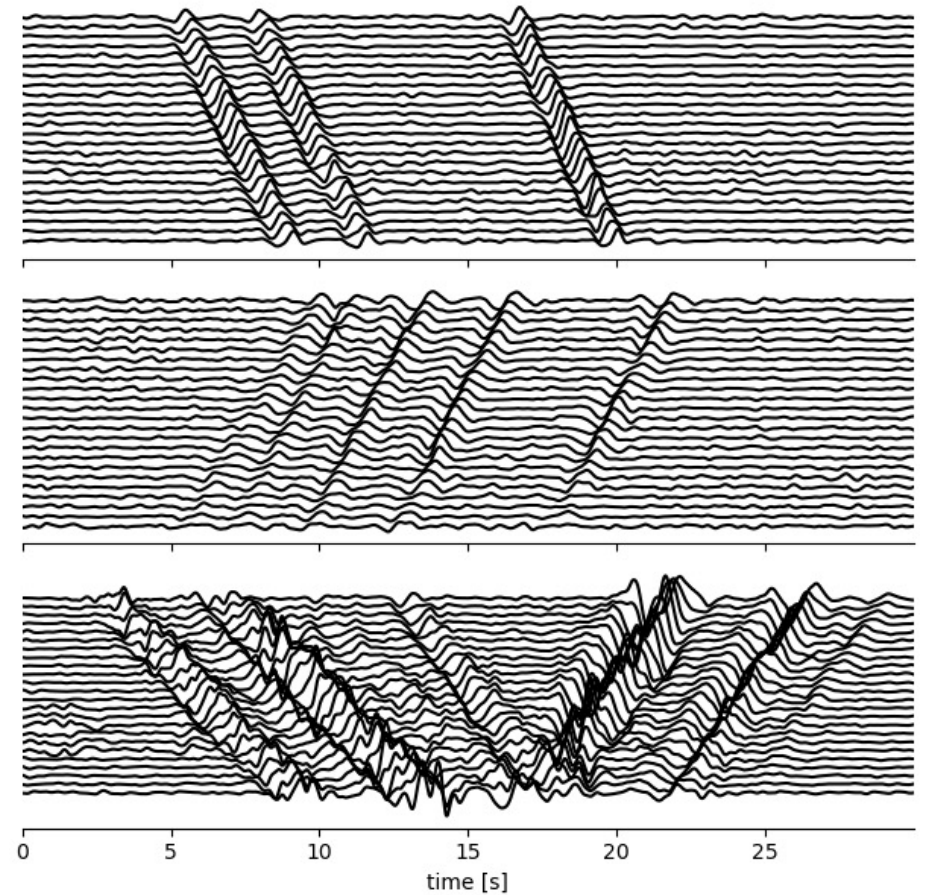


# Signatures of cars



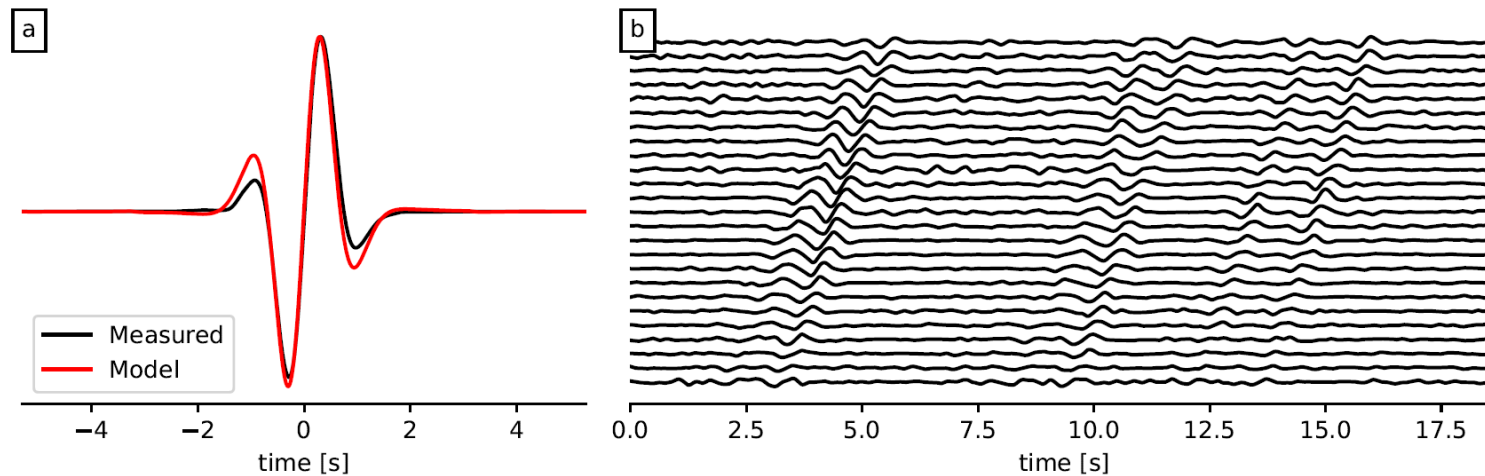
# Challenge of detection

- Spatial footprint of a car is  $\sim 75$  m
- Overlap in signals when cars are trailing within 2-3 seconds
- Challenge for vehicle counting and velocity estimation

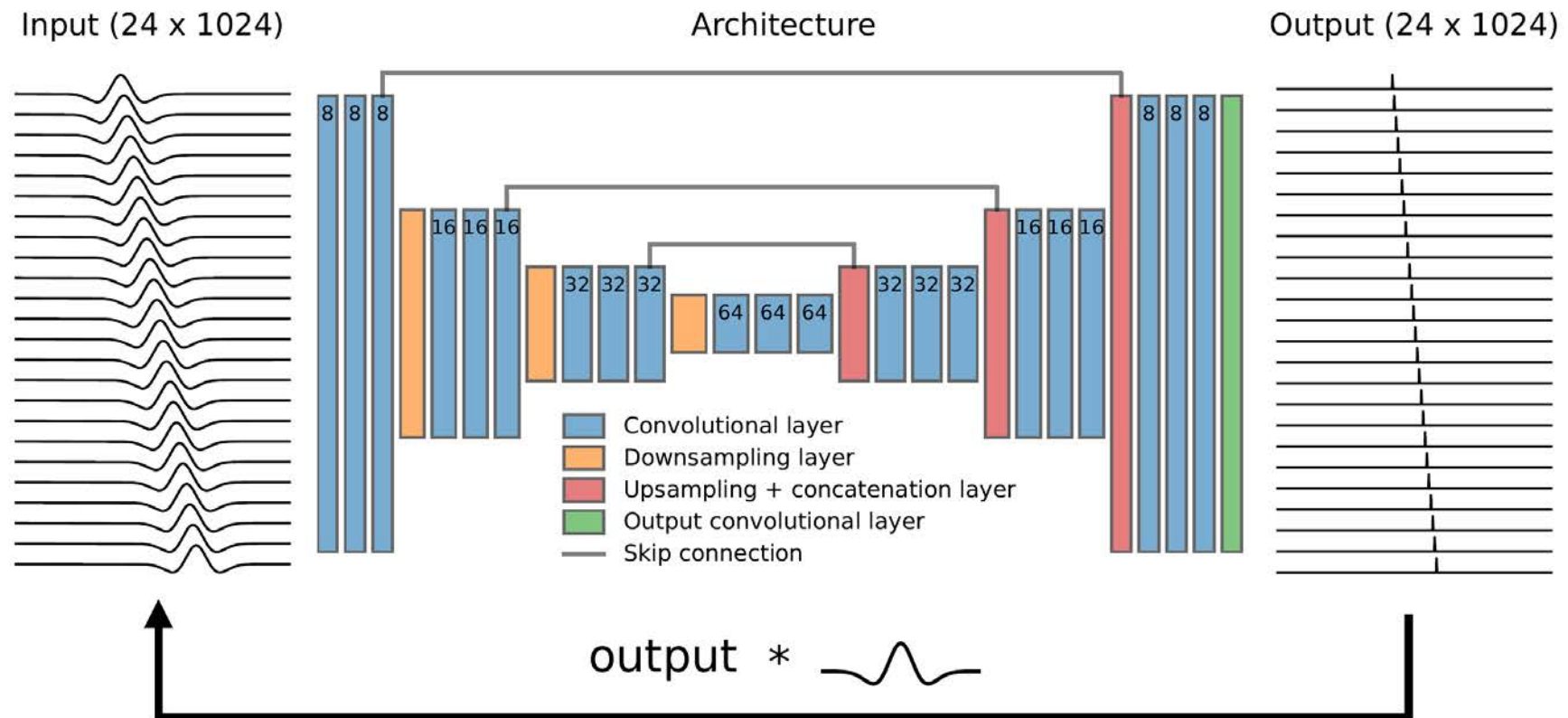


# Exploiting similarity

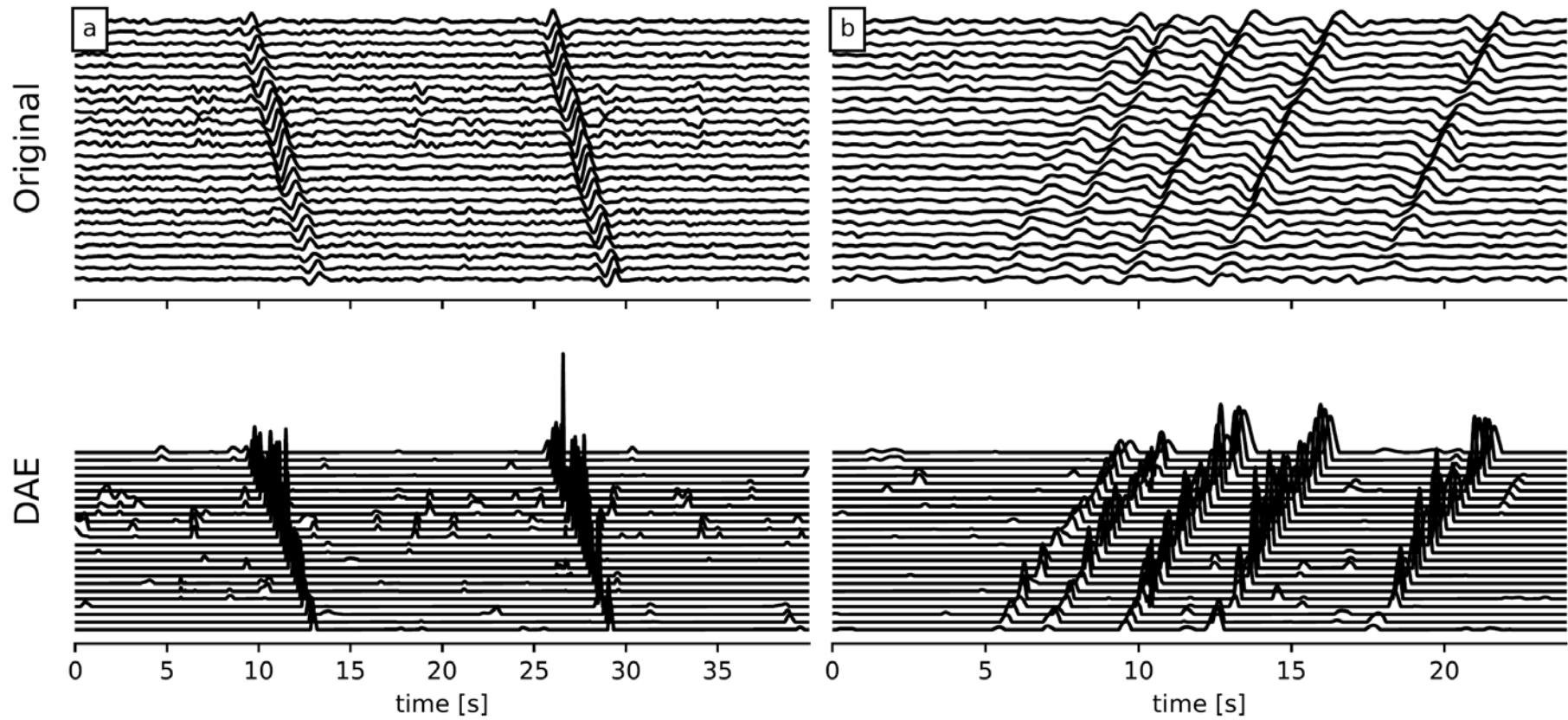
- Characteristic signature of a car recorded at a given location is the same for each car (up to a proportionality constant)
- Make measurements of cars more “compact” by deconvolving this characteristic signature from the DAS data



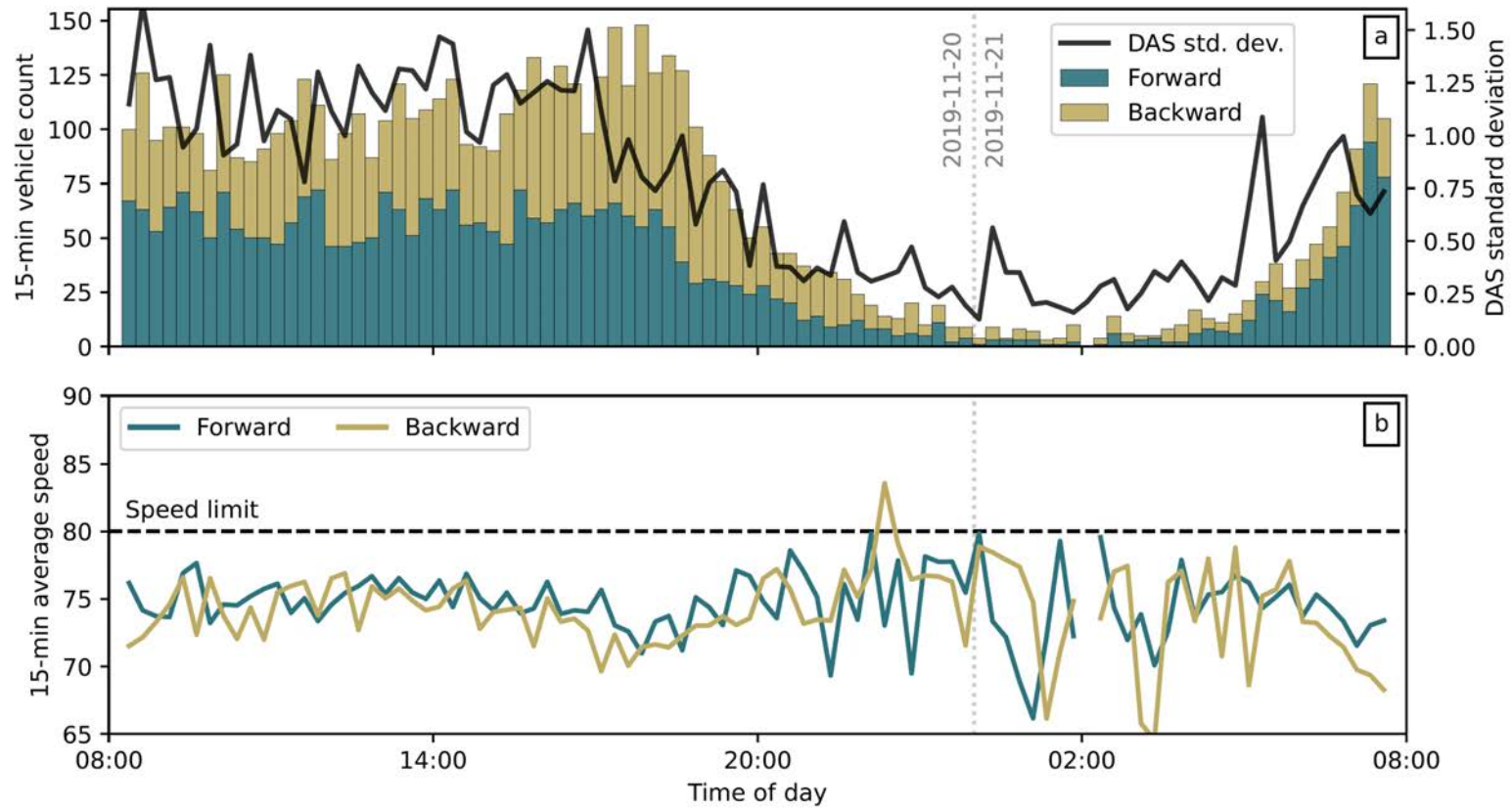
# Deconvolution Auto-Encoder (DAE)



# Deconvolution results



# Traffic analysis



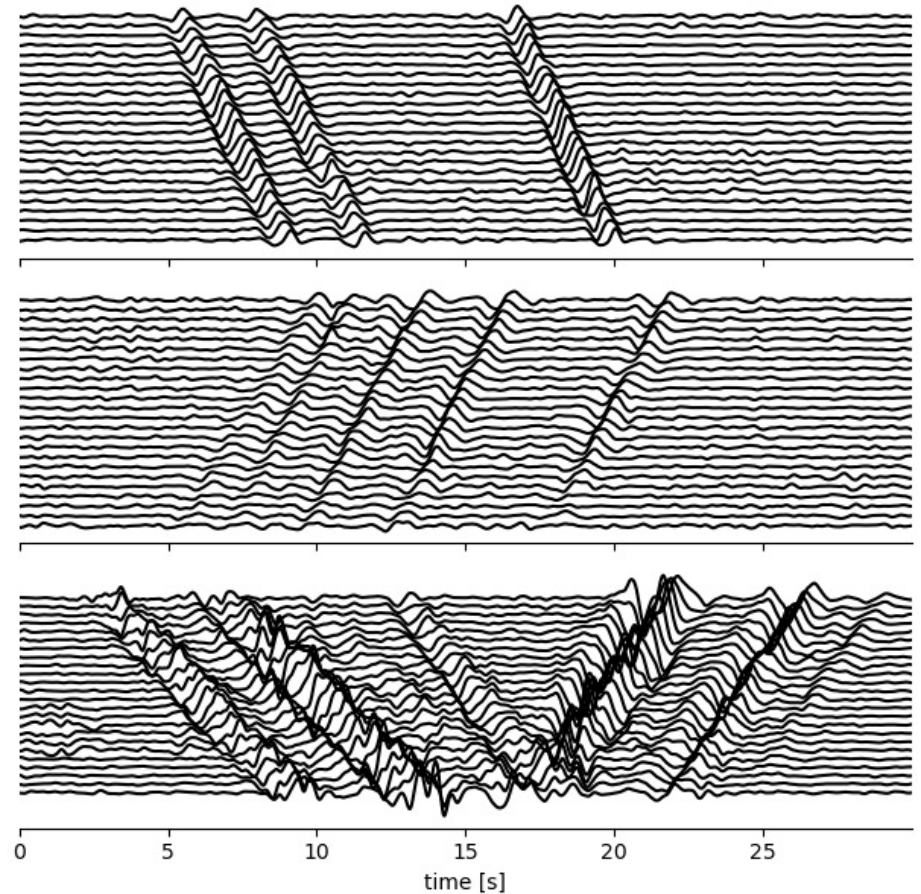
# Traffic analysis





# DAS beamforming (Model #1)

- Cars are identified as coherent waveforms propagating at a constant speed
- DAS is an array of sensors: ideally suited for beamforming analysis



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## Model #1

Define a DAS measurement of a car with **velocity  $v$**  at **sensor  $q$**  (separated by **distance  $d$** ) and time instant  $n$  as:

$$y_q(n) = s\left(n - q\frac{d}{v}\right) + n_q(n)$$

The Discrete Fourier Transform of this measurement is:

$$Y_q(k) = S(k) \exp\left(\frac{-j2\pi k qd}{N v}\right) + V_q(k)$$

# DAS beamforming (Model #1)

- Cars are identified as coherent waveforms propagating at a constant speed
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## Model #1

Define steering vector:

$$\mathbf{e}_k(\mathbf{v}) = \left[ 1, \exp\left(\frac{-j2\pi k d}{N v}\right), \exp\left(\frac{-j2\pi k 2d}{N v}\right), \dots \right]^T$$

Define signal vector:

$$\mathbf{y}_q(k) = [Y_q(k), Y_{q+1}(k), \dots]^T = S(k)\mathbf{e}_k(\mathbf{v}) + \mathbf{n}(k)$$

Covariance matrix:

$$\mathbf{C}(k) = E_q[\mathbf{y}_q(k)\mathbf{y}_q^\dagger(k)]$$

# DAS beamforming (Model #2)

- DAS is uniformly sampled in time and in space
- Instead of performing the DFT and beamforming in time, we take the DFT in space

## Model #2

Define a DAS measurement of a car with **velocity**  $v$  at sensor  $q$  (separated by **distance**  $d$ ) and **time instant**  $n$  as:

$$y_n(q) = r\left(q - n\frac{v}{d}\right) + n_n(q)$$

The Discrete Fourier Transform of this measurement is:

$$Y_n(k) = R(k) \exp\left(\frac{-j2\pi k n v}{M d}\right) + V_n(k)$$

Given a wavenumber  $k$  and time window  $L$ , define a temporal sliding vector:

$$\mathbf{y}_n(k) = [Y_n(k), \dots, Y_{n+L-1}(k)]^T$$

# DAS beamforming (Model #2)

- DAS is uniformly sampled in time and in space
- Instead of performing the DFT and beamforming in time, we take the DFT in space

## Model #2

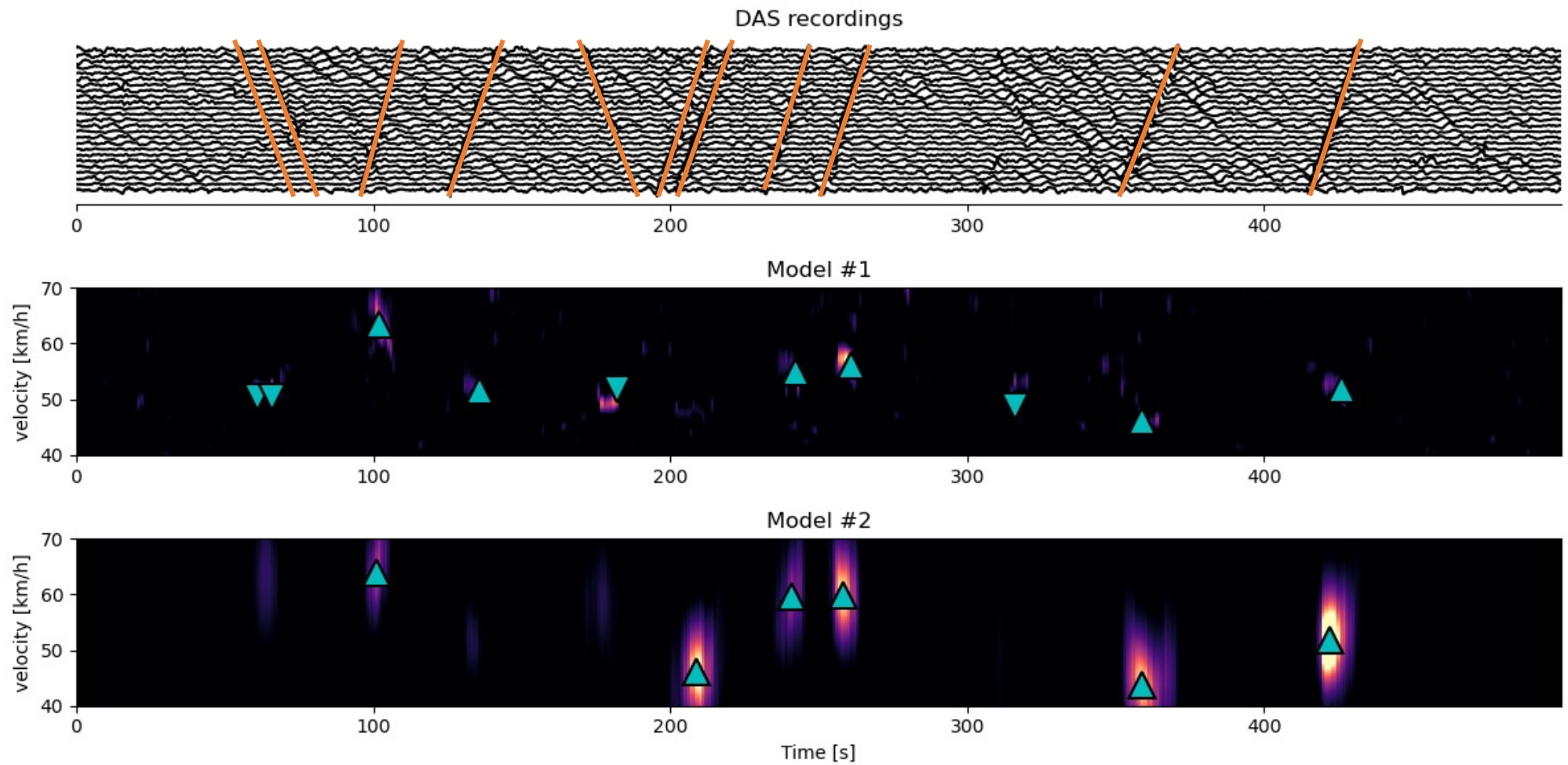
Define steering vector:

$$\mathbf{e}_k(\mathbf{v}) = \left[ 1, \exp\left(\frac{-j2\pi k \mathbf{v}}{M d}\right), \exp\left(\frac{-j2\pi k 2\mathbf{v}}{M d}\right), \dots \right]^T$$

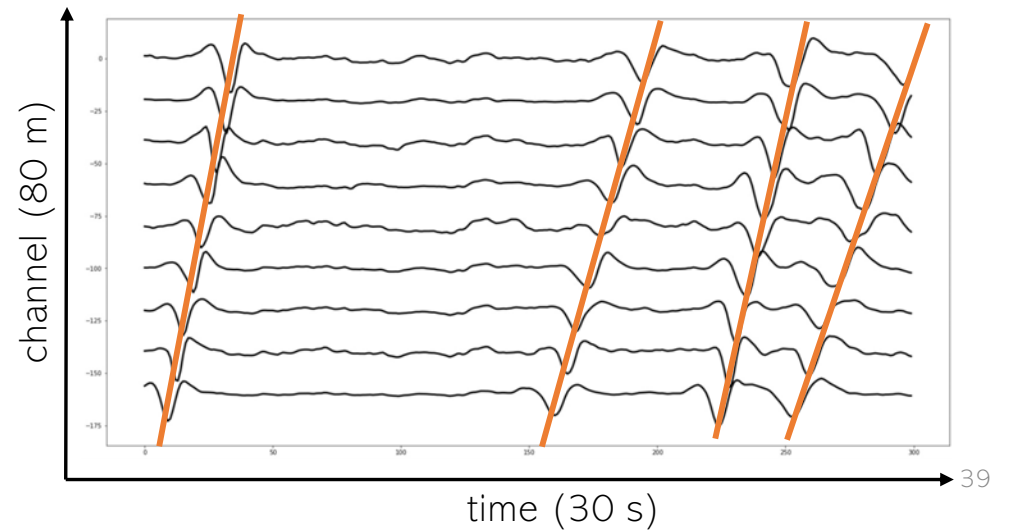
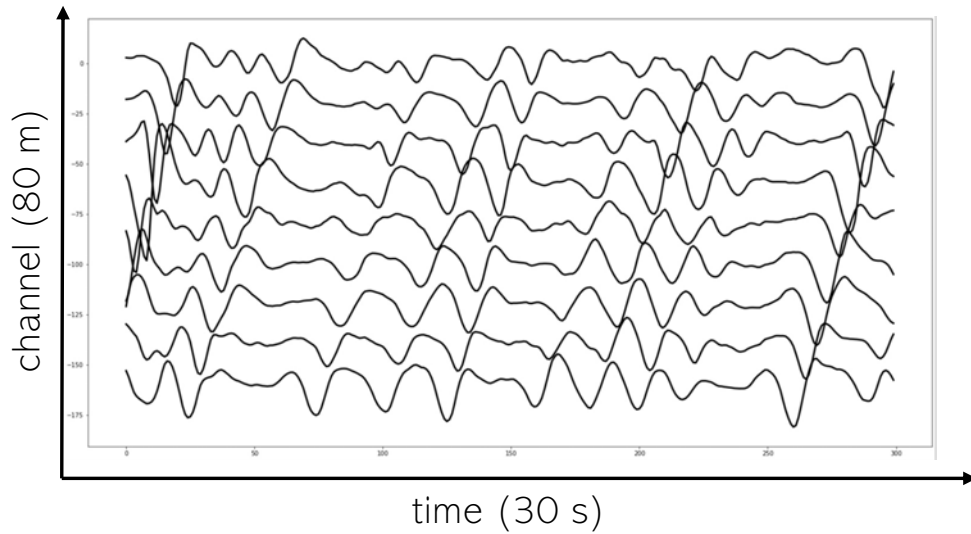
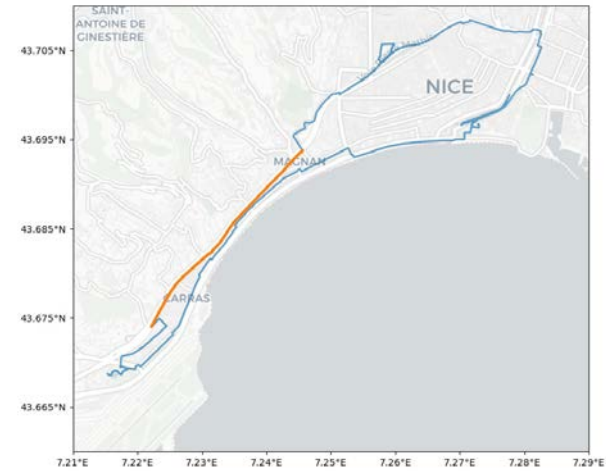
Covariance matrix:

$$\mathbf{C}(k) = E_n[\mathbf{y}_n(k)\mathbf{y}_n^\dagger(k)]$$

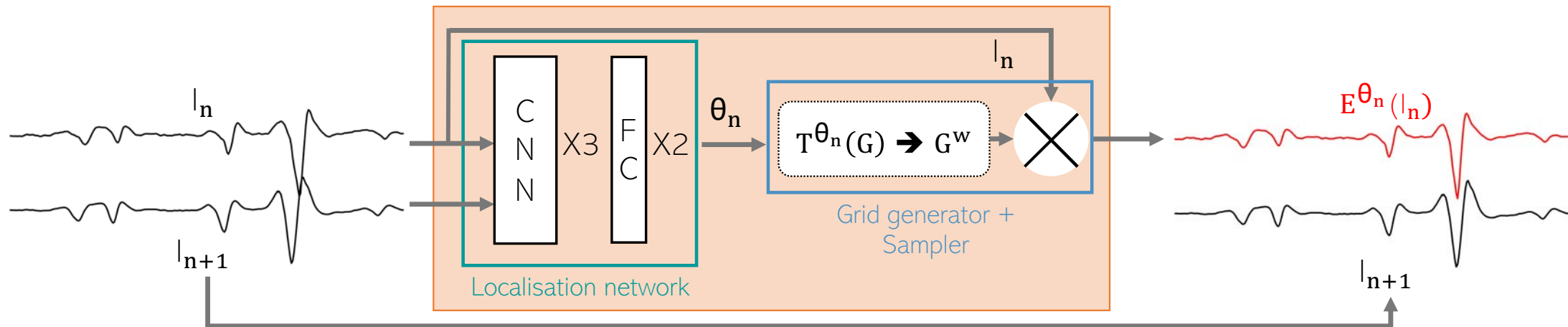
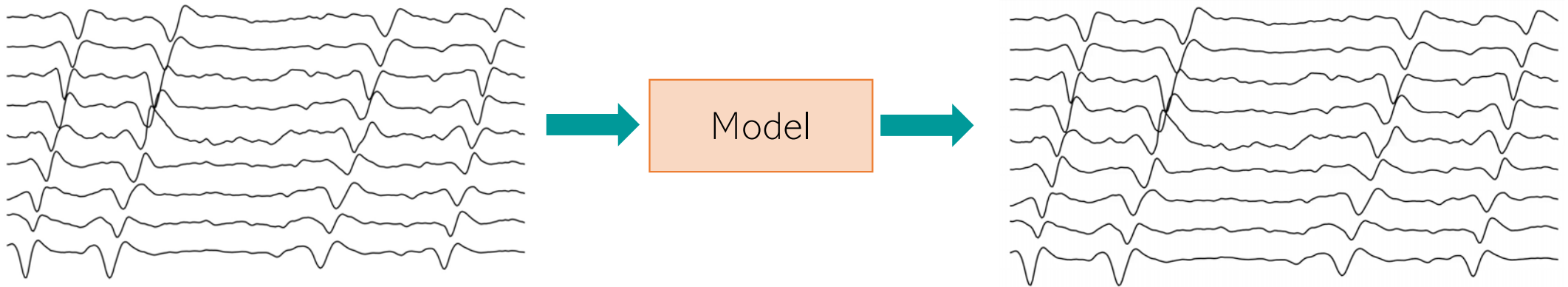
# Beamforming detection



# DAS traffic monitoring

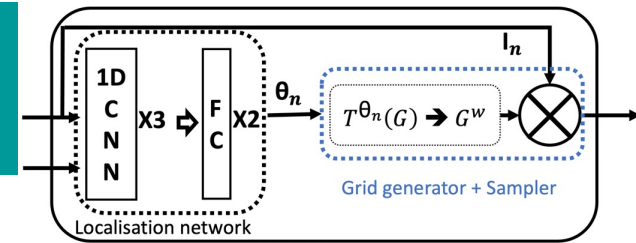


# Model architecture

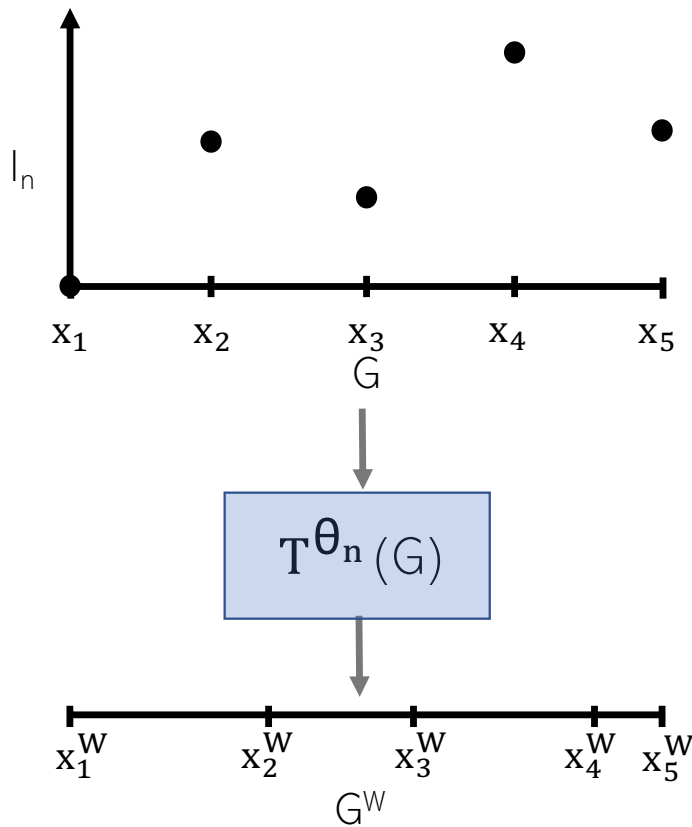




# Model architecture

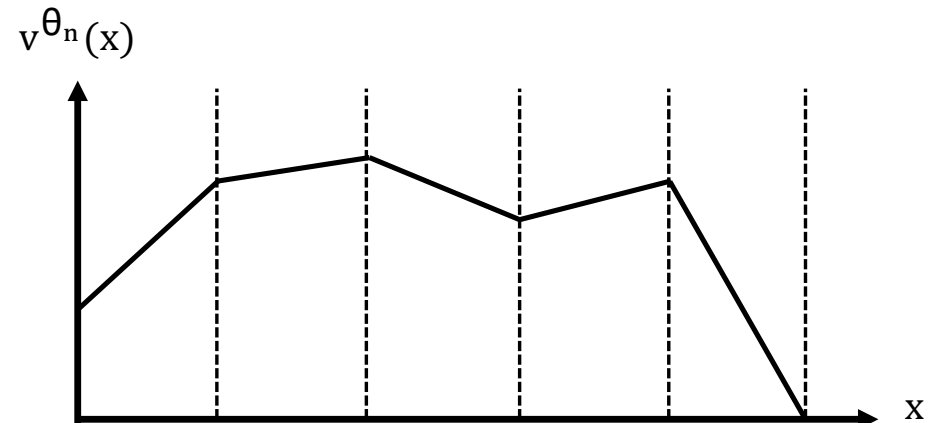


## Grid generator (toy example)

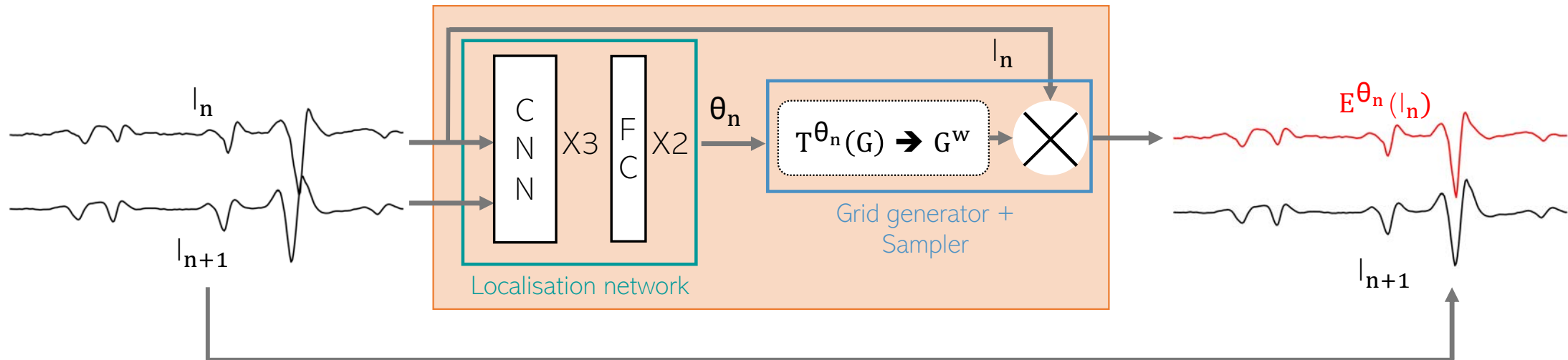


$T^{\theta_n}$  is a Continuous Piecewise-Affine Based (CPAB) transformation

$$T^{\theta_n}(x) = x + \int_0^1 v^{\theta_n}(\phi^{\theta_n}(x, \tau)) d\tau$$

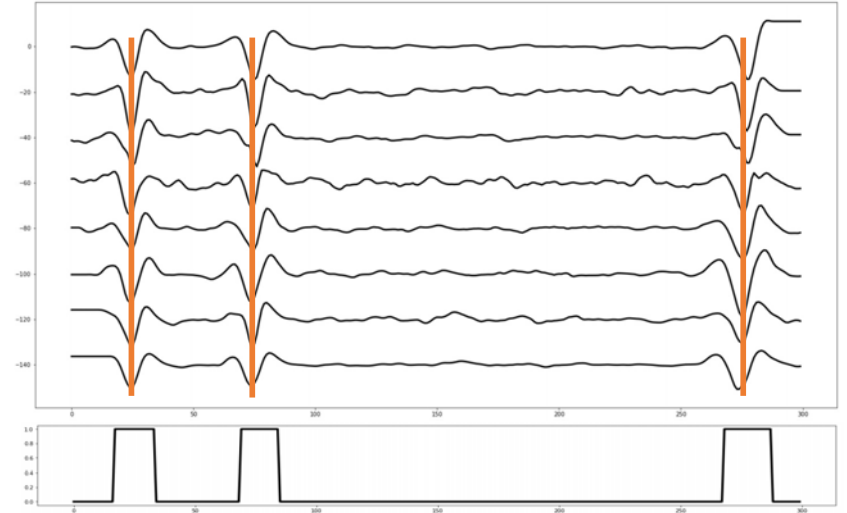
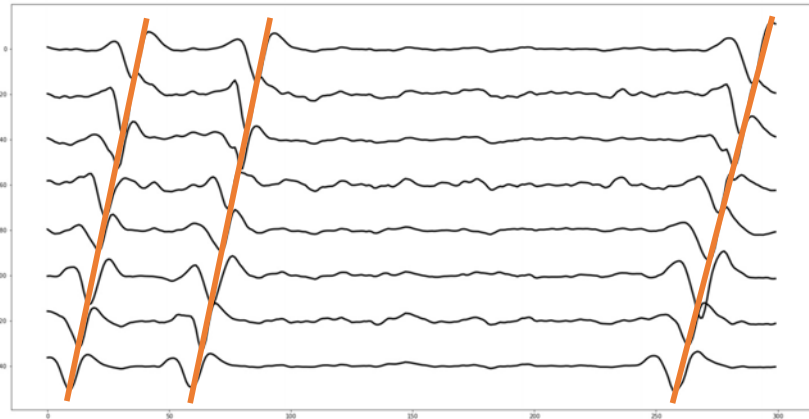


# Self-supervised training

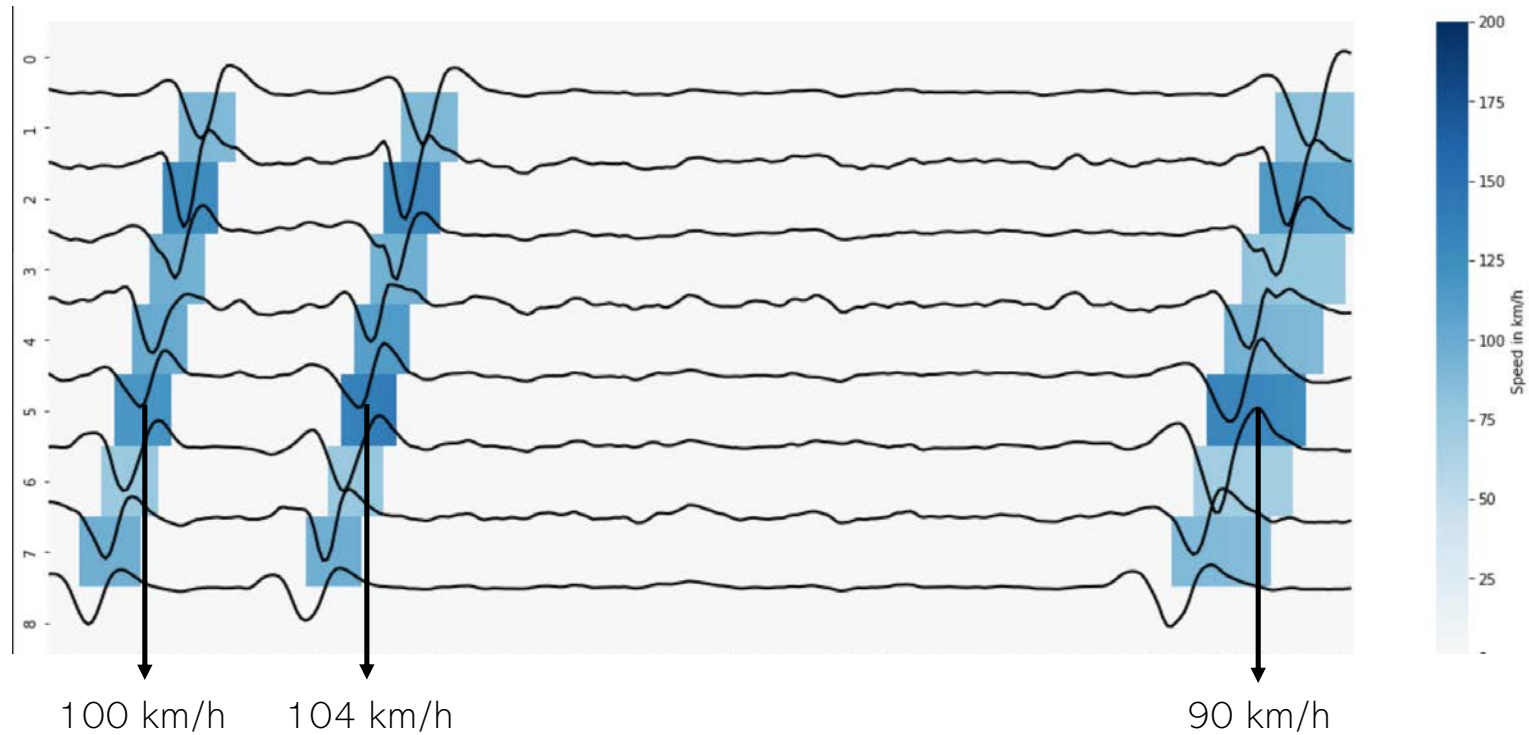


$$\text{Loss} = \sum_{n=0}^{N_{\text{ch}}-1} \left\| E^{\theta_n}(I_n) - I_{n+1} \right\|_{l_2}^2 + \alpha \sum_{n=0}^{N_{\text{ch}}-1} \left\| \theta_n \right\|_{\Sigma_{\text{CPA}}^{-1}}$$

# Velocity estimation

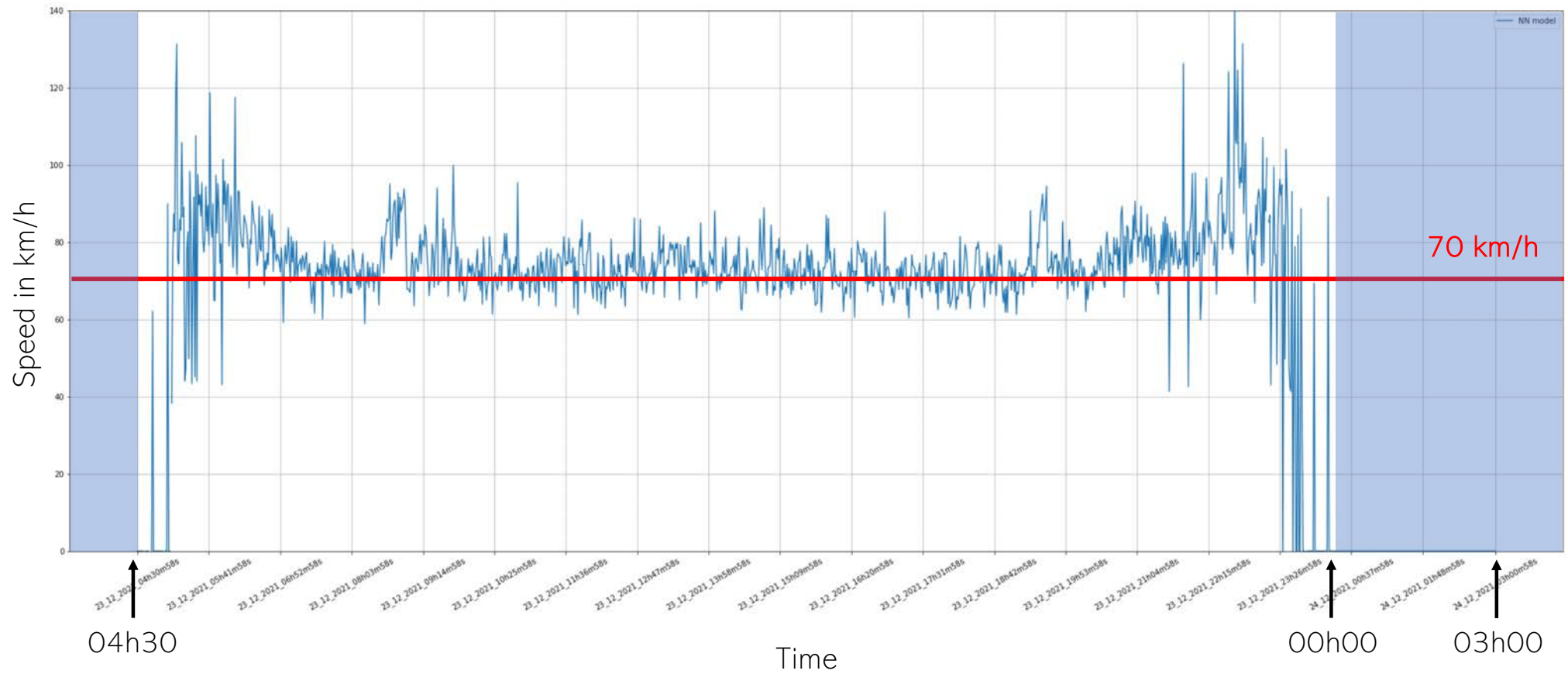


# Velocity estimation



Window average speed:  
97 km/h

# Velocity estimation



# Take-home messages

1. DAS provides the tools to make **very dense measurements** in previously **inaccessible environments**
2. The **2<sup>nd</sup> dimension** of DAS data facilitates new analyses and processing techniques based on **spatiotemporal coherence**
3. Lots of **unexplored potential** and **applications** by combining DAS with Machine Learning

# Thanks!

Contact



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Papers and codes available online.

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